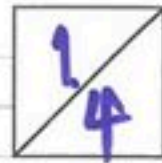


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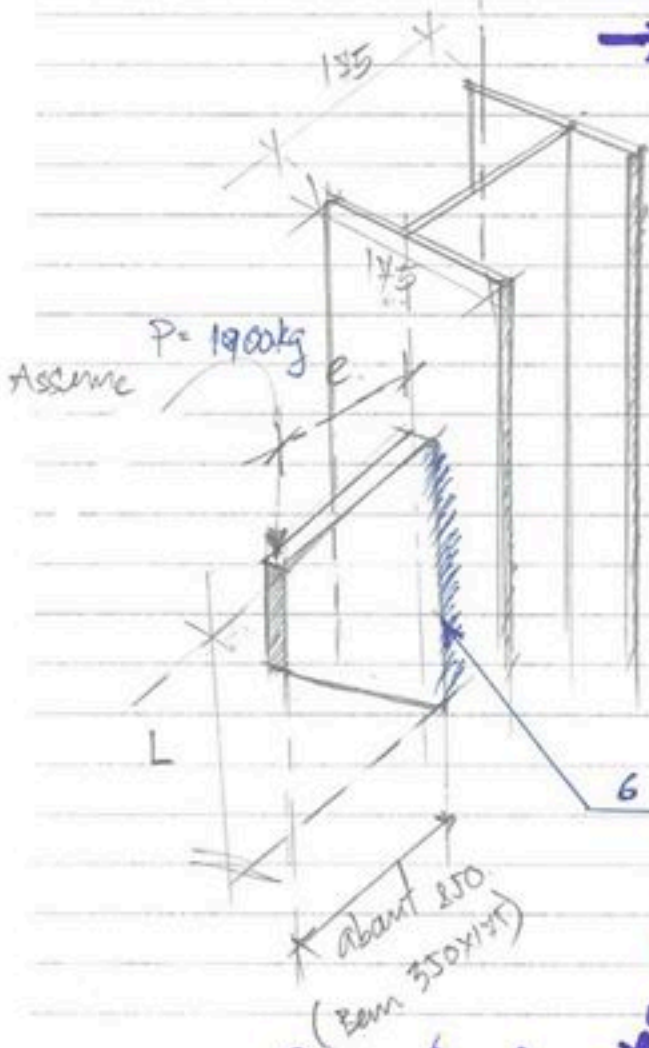


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→ υπολογισμοί



Solⁿ. Assume Thickness 12mm
 υπολογισμός φορτίου = $0.6(2450) = 1470 \text{ kg}$
 ή ήπιος από το κανονικό πάχος.

$$F_7 = \frac{P \cdot e}{I} = \frac{P(L/2)}{\frac{1}{12} + L^3}$$

$$F_4 = \frac{P(L/2)}{\frac{1}{12} + L^3}$$

$$F_5 = \frac{P(L/2)}{\frac{1}{12} + F_4}$$

$$L = \sqrt{\frac{60}{F_4}} = \sqrt{\frac{6(1900)(25)}{(1.2 \text{ cm})(1470)}} = 12.71 \text{ USE } 25 \text{ CM}$$

SO: USE steel plate 250x12mm.

→ ελέγχος check ούριου

υπολογισμός μέγιστου τάσης. $f_v = \frac{P}{A}$

2mm. $= \frac{(1900 \text{ kg})}{2(25)} = 38 \text{ kg/cm}$ υπολογισμός

υπολογισμός τάσης ούριου 6mm. $f_7 = \frac{P(25)(25/2)}{2(25)^3/12} = \frac{(1900)(312.5)}{2604} = 228 \text{ kg/cm}$ υπολογισμός

SO: υπολογισμός μέγιστου τάσης 1100 kg/cm.

$$f_8 = \sqrt{(58^2) + (228^2)}$$

μέγιστος τάση $f_7 = 0.21(1900) = 1040 \text{ kg/cm}$

$f_7 = 231 \text{ kg/cm}$ υπολογισμός

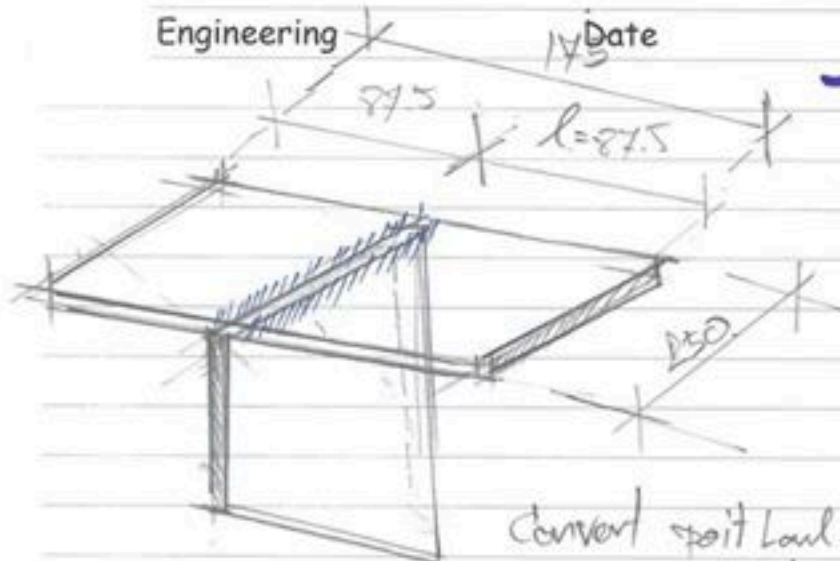
υπολογισμός τάσης. $\frac{231 \text{ kg/cm}}{1040 \text{ kg/cm}} = 0.22 \text{ cm}$ USE ούριου 6mm

→ ελέγχος υπολογισμός υπολογισμός υπολογισμός

- υπολογισμός $f_v = \frac{P}{A} = \frac{1900}{(1.2)(25)} = 63.3 \text{ kg/cm} < F_v$ υπολογισμός τάσης $0.4F_y = 980 \checkmark$

- υπολογισμός $f_7 = \frac{P(e)}{(f_7)(L^2)/6} = \frac{(1900)(25)}{(1.2)(25^2)/6} = 380 \text{ kg/cm} < F_7$ υπολογισμός τάσης. OK
 $0.6F_y = 1470 \text{ kg/cm OK}$

→ **Beam Bolt to Plate**



* Concept. Uniformly distributed load

$$F = \frac{P}{A}$$

$$A = \frac{P}{F_t} = \frac{1900}{0.6(2450)} = 1.29 \text{ cm}^2$$

Convert point load → Uniform load

$$1900 \text{ kg} \rightarrow 12.26 \text{ kg/cm}^2$$

USE Bolt $\phi 20 \text{ mm}$ ($A_g = 3.14$)

$$N = \frac{1.29}{3.14} = 0.4 \text{ Ea}$$

USE 2 Ea. minimum

→ **Min. Base Plate.**

* Concept Uniformly distributed load

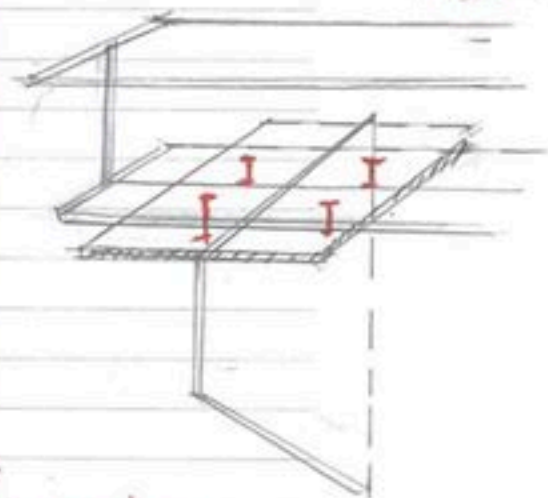
Assume moment = $\frac{wL^2}{8}$; (Assume pt. Uniform load)
Section Modulus $S = \frac{I}{c}$

$$M = \frac{F \cdot l}{3} = \frac{N \cdot l^2}{8}$$

$$F_b = \frac{3Nl^2}{I}$$

$$I = \frac{3Nl^2}{F_b} = \frac{3(12.26 \text{ kg/cm}^2)(8.75)^2}{0.75 F_y}$$

$$= 12.24 \text{ cm}^4 \text{ USE } 12 \text{ mm}$$



* Concept Minimum

Using 1.4 minimum Reaction.

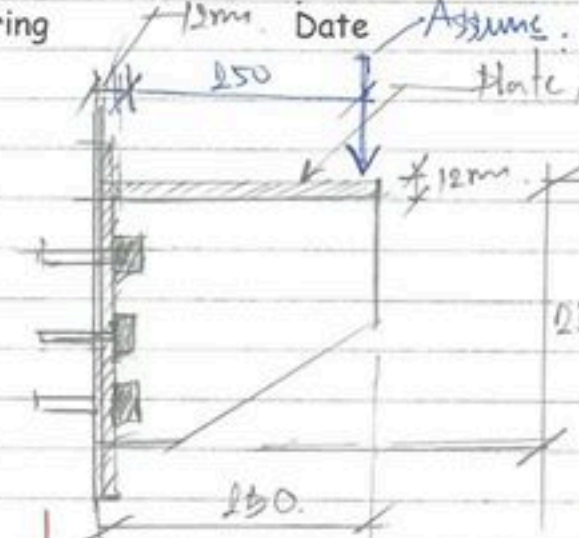
$$= 1.4 \times 1900 = 2660 \text{ kg}$$

Uniformly distributed load $F_y = 0.4 F_y = 0.4(2450) = 980 \text{ kg}$

$$A = \frac{2660}{980} = 2.71 \text{ cm}^2$$

USE Bolt $\phi 20 \text{ mm}$ ($A_g = 3.14 \text{ cm}^2$)

$$N = \frac{2.71}{3.14} = 0.86 \text{ Ea USE } 2 \text{ Ea}$$



$$D = P_e = (1900)(25) = 47,500 \text{ kg-cm}$$

$$F_t = (A)(F_{ut}) = (3.14)(6200) = 19,468 \text{ kg}$$

90mm $r = 90 \text{ cm}$
 2mm $t = 2 \text{ mm}$

$$n = \sqrt{\frac{6D}{m \cdot P \cdot F_t}} = \sqrt{\frac{6 \times 47,500}{2 \times (7)(19,468)}}$$

$$= 0.9 \text{ cm}$$

USE 3 cm / 11mm. ok ✓

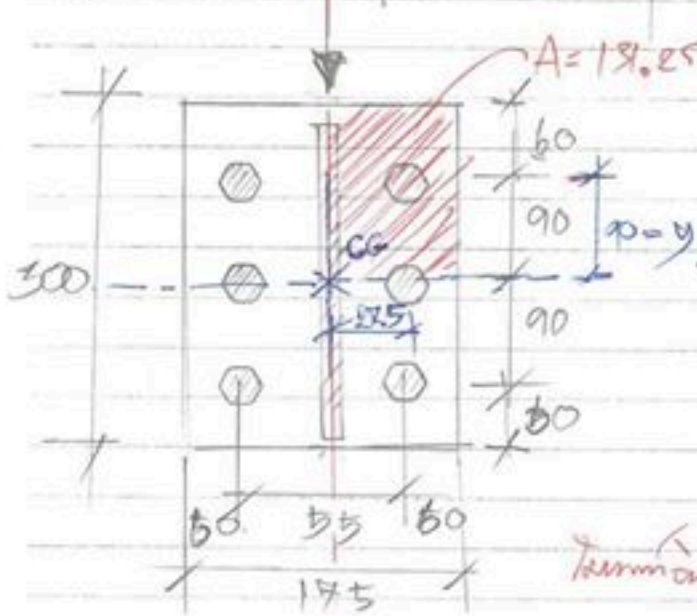
$$I = \frac{bh^3}{12} = \frac{(18.5)(30)^3}{12} = 39,375 \text{ cm}^4$$

$$f = \frac{D \cdot y}{I} = \frac{(47,500)(9)}{39,375} = 10.85 \text{ kg/cm}^2$$

$$A_{req} = 18.5 \times 30 = 131.25 \text{ cm}^2$$

$$n_{Bolt} = \frac{f \cdot A}{F_t} = \frac{(10.85)(131.25)}{19,468} = 1424 \text{ kg/Bolt} < F_t = 19,468 \text{ kg}$$

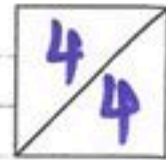
Summary : USE steel plate. 300x175x12mm.
 Bolt (A525) 6-M20 #



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